Human Age Estimation Using Bio-inspired Features

Guodong Guo
NCCU
gdguo@nccu.edu

Guowang Mu
NCCU
gmu@nccu.edu

Yun Fu
BBN Technologies
yfu@bbn.com

Thomas S. Huang
UIUC
huang@ifp.uiuc.edu

Abstract

We investigate the biologically inspired features (BIF) for human age estimation from faces. As in previous bio-inspired models, a pyramid of Gabor filters are used at all positions of the input image for the $S_1$ units. But unlike previous models, we find that the pre-learned prototypes for the $S_2$ layer and then progressing to $C_2$ cannot work well for age estimation. We also propose to use Gabor filters with smaller sizes and suggest to determine the number of bands and orientations in a problem-specific manner, rather than using a predefined number. More importantly, we propose a new operator “STD” to encode the aging subtlety on faces. Evaluated on the large database YGA with 8,000 face images and the public available FG-NET database, our approach achieves significant improvements in age estimation accuracy over the state-of-the-art methods. By applying our system to some Internet face images, we show the robustness of our method and the potential of cross-race age estimation, which has not been explored by any studies before.

1. Introduction

Human face, as a window to the soul [37], conveys important perceptible information related to individual traits. Human age, as an important personal trait [10, 39], can be directly inferred by distinct patterns emerging from the facial appearance. People have the ability, developed early in life, to determine age between 20 and 60 years and conceive aging appearance from the face with high accuracy [1, 13]. Can machine do the same job? Recent studies have given a positive answer to this question by defining the age estimation technique which is to label a face image automatically by machine with the exact age (year) or the age group (year range) of the individual face.

Age estimation by machine is useful in scenarios where we don’t need to specifically identify the individual, but want to know his or her age. Derived from rapid advances in computer vision and pattern recognition, computer-based age estimation via faces become a particularly interesting topic recently because of the explosively emergent real-world applications, such as electronic customer relationship management (ECRM) [2, 18], security control and surveillance monitoring [14, 20, 24], biometrics [25, 23], and entertainment.

Age estimation by machine has been revealed as a difficult and challenging problem by existing facts and attitudes from the perception field. Different people have different rates of aging process [15, 14], which is determined by not only the people’s gene but also many factors, such as health condition, living style, working environment, and sociality [29, 5]. Aging shows different forms in different ages [4, 37]. From infancy to puberty, the greatest change is the craniofacial growth (shape change) [1]. Overall the face size is getting larger gradually during the craniofacial growth. From adulthood to old age, the most perceptible change becomes the skin aging (texture change). The shape change still continues, but less dramatically. Thus face aging is uncontrollable and personalized [24, 7, 11]. Furthermore, males and females may have different face aging patterns displayed in images due to the different extent in using makeups and accessories. Many female face images may potentially show younger appearances. It is still an open problem to extract general discriminative features for age estimation while reducing the negative influence of individual differences.
The existing age estimation systems using face images typically consist of two concatenated modules: image representation and age estimation. For age image representation, the anthropometric model [19], active appearance model (AAM) [6], AGing pattErn Subspace (AGES) [12, 11], age manifold [8, 7], and patch-based appearance model [36, 33] are most popular ones. Given an aging feature representation, the next step is to estimate ages. The age estimation can be viewed as a multi-class classification problem [20, 30, 14], a regression problem [8, 35, 34, 7, 38], or a hybrid of the two [16] [14] [15].

Given the superior performance of human vision on general object recognition and age estimation, it is reasonable to look to biology for inspiration to improve the computer’s performance for age estimation. This motivates us to explore features and methods from brain modelling and studies. Recently, the biologically inspired features [26] have shown excellent performance in some computer vision tasks such as object category recognition [28] [22] [27] and face recognition [21]. In this paper, we want to investigate the bio-inspired features (BIF) for the age estimation problem.

Our main contributions include that (1) the biologically inspired features are introduced to age estimation for the first time; (2) previous bio-inspired models are changed by proposing a novel “STD” operation in creating $C_1$ features; (3) some refinements to the bio-inspired models are proposed: The starting scale of the filter pyramid is changed smaller, the numbers of bands and orientations are adaptive to data; Each modification is shown to provide improvement in age estimation; and (4) our new method outperforms all of the state-of-the-art methods in age estimation.

2. Bio-inspired Models

Visual processing in cortex is modeled as a hierarchy of increasingly sophisticated representations. A recent theory of the feedforward path of object recognition in cortex accounts for the first 100-200 milliseconds of processing in the ventral stream of primate visual cortex [26] [27]. We briefly present some existing biologically inspired models for object recognition, and then describe our base model and improvement. Detailed implementation of our model is given in the next section.

2.1. Previous Models

Riesenhuber and Poggio [26] proposed a new set of features derived from a feed-forward model of the primate visual object recognition pathway, called the “HMAX” model. The framework of the model contains alternating layers called simple (S) and complex (C) cell units creating increasing complexity as the layers progress from the primary visual cortex (V1) to inferior temporal cortex (IT). A notable property of the model is the nonlinear maximum operation “MAX” over the $S$ units rather than the linear summation operation “SUM” in pooling inputs at the $C$ layers. Specifically, the first layer of the model, called the $S_1$ layer, is created by convolving an array of Gabor filters at four orientations and 16 scales, over the input gray level image. Adjacent two scales of $S_1$ units are then grouped together to form 8 ‘bands’ of units for each orientation. The second layer, called the $C_1$ layer, is then generated by taking the maximum values within a local spatial neighborhood and across the scales within a band. So the resulted $C_1$ representation contains 8 bands and 4 orientations. The advantage of taking the “MAX” operation within a small range of position and scale is to tolerate small shifts and scale changes.

Serre et al. [28] [27] extended the “HMAX” model of Riesenhuber and Poggio [26] to include two higher level layers, called $S_2$ and $C_2$, for object recognition. In the $S_2$ layer, template matching is performed to match the patches of $C_1$ units with some pre-learned prototype patches that are extracted from natural images. This $S_2$ layer gets intermediate features that are more selective and thus useful for discriminating between classes of objects. These $S_2$ units are then convolved over an entire image and $C_2$ units are assigned the maximum response value on $S_2$. Mutch and Lowe [22] built on Serre et al.’s work [28] for object category recognition and proposed some improvements such as sparsify $S_2$ inputs (selecting dominating orientations from the four), suppress $S_1$ and $C_1$ outputs (reducing the number of output units), and select features that are highly weighted by the support vector machine (SVM) [31]. Meyers and Wolf [21] used the biologically inspired features for face recognition by concatenating the $C_1$ units to form a so-called $S_2$ facial features (S2FF) and used a relevant component analysis technique for feature dimension reduction.

2.2. Our Base Model

Our base model with the biological inspiration is particularly designed for human age estimation. In previous approaches to object category recognition [28] [22] [27], a number of prototypes (approximately 1,000 in [27]) are randomly selected from the learning images. These prototypes are stored for template matching in $S_2$ units. We found that the $S_2$ (and then $C_2$) features using pre-learned prototypes cannot work well for age estimation. Therefore we used only the $S_1$ and $C_1$ units. The outputs from the $C_1$ units are concatenated to form a long feature vector to represent each face image. After the biologically inspired $C_1$ features are extracted, we perform feature dimension reduction and statistical learning for age estimation.

2.3. Improvement

In using the $S_1$ and $C_1$ units, we found that the number of bands and orientations for $S_1$ units should not be predetermined by a fixed number, e.g., 4 orientations in [26] [28]
[27] [21], and 12 orientations in [22]. In addition, all of them used 8 bands. In our age estimation, the number of bands and orientations varies within a range. The best numbers are reported based on the age estimation results. The purpose is to show that these parameters should be adaptive to each specific problem, because there are different image sizes for different problems and various objects may contain different levels of details. In age estimation, we would like to know what are the proper numbers of bands and orientations for the $S_1$ units.

In applying the Gabor filters to $S_1$ units, we found that a smaller size of $5 \times 5$ can characterize the aging effects on faces better. So in our pyramid of Gabor filters, the starting filter size is from $5 \times 5$ rather than $7 \times 7$ as in [28] [27].

For $C_1$ units, we found that the “MAX” filtering can be improved further. We propose another nonlinear operator “STD” to each scale band (2 scales) of $S_1$ units after they are merged into one maximum map using the “MAX” operation.

We also do dimension reduction for the $C_1$ features to make them more efficient. All these improvements are necessary in order to obtain a high-performance age estimator.

3. Detailed Implementation

Our system for age estimation works in four steps. First, the face image goes through the $S_1$ layer and $C_1$ layer. The resulted $C_1$ features are about 7,000. Then a dimensionality reduction process reduces the dimensions greatly. Finally, classifiers or regressors are used for learning and the output is the estimated age. The system framework is illustrated in Figure 2. Before performing experimental evaluations, we describe the details for each step.

![Figure 2. Our age estimation framework.](image)

$S_1$ units: A grey level input image is first analyzed by an array of simple $S_1$ units that correspond to the classical simple cells of Hubel and Wiesel found in the primary visual cortex (V1) [17]. The Gabor functions [9] are usually taken for the $S_1$ units [26] [28] [27] [22] [21], which provide a good model of cortical simple cell receptive fields. The Gabor functions are of the following form

$$G(x, y) = \exp \left( -\frac{(X^2 + \gamma^2 Y^2)}{2\sigma^2} \right) \times \cos \left( \frac{2\pi}{\lambda} X \right), \quad (1)$$

where $X = x \cos \theta + y \sin \theta$ and $Y = -x \sin \theta + y \cos \theta$ are the rotations of the Gabor filters with angle $\theta$ which varies between 0 and $\pi$. The aspect ratio is fixed as in [27], $\gamma = 0.3$, the effective width $\sigma$, the wavelength $\lambda$ as well as the filter sizes $s$ were adjusted as in [27], but in our case, the filter banks start from $5 \times 5$ rather than $7 \times 7$. Thus the pooling grid sizes and overlaps are changed accordingly. Details about the related parameters are shown in Table 1. The orientation $\theta$ varies from 0 to $\pi$ uniformly with different intervals, resulting in different number of total orientations, such as 4, 6, 8, 10, and 12. The best number of orientations is determined from the data in our age estimation problem. As in the work of Serre, Wolf, and Poggio [28], the $S_1$ filters were arranged to form a pyramid of scales, spanning a range of sizes. But in our age estimation problem, we found that starting from a smaller size, such as $5 \times 5$, instead of $7 \times 7$, delivered better results (See experiments). The reasons might be that (1) the image size of $60 \times 60$ in our age estimation is much smaller than in object category recognition, e.g., in [27] all input images are down-sampled to 140 pixels high while maintaining the aspect ratio; and (2) small facial details are important to characterize subtle age variations. In addition, the number of bands was chosen and fixed as 8 (thus 16 scales in total) in Serre et al.’s work [27], but we let the data determine the best number of bands, selected from 2, 4, 6, and 8. The number of $S_1$ receptive field types is determined by the product of the number of scales and orientations. For example, it could be 192 types when 16 scales and 12 orientations ($0^\circ, 15^\circ, 30^\circ, \ldots, 165^\circ$) are chosen by the algorithm.

$C_1$ units: The $C_1$ units correspond to cortical complex cells that tend to have larger receptive fields [26, 27]. $C_1$ units pool over $S_1$ units from the previous layer with the same ori-

<table>
<thead>
<tr>
<th>Band</th>
<th>Pool. grid</th>
<th>Overlap $\Delta S$</th>
<th>filter size $s$</th>
<th>Gabor $\sigma$</th>
<th>Gabor $\lambda$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Band 1</td>
<td>$6 \times 6$</td>
<td>3</td>
<td>$5 \times 5$</td>
<td>2.0</td>
<td>2.5</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>$7 \times 7$</td>
<td>2.8</td>
<td>3.5</td>
</tr>
<tr>
<td>Band 2</td>
<td>$8 \times 8$</td>
<td>4</td>
<td>$9 \times 9$</td>
<td>3.6</td>
<td>4.6</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>$11 \times 11$</td>
<td>4.5</td>
<td>5.6</td>
</tr>
<tr>
<td>Band 3</td>
<td>$10 \times 10$</td>
<td>5</td>
<td>$13 \times 13$</td>
<td>5.4</td>
<td>6.8</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>$15 \times 15$</td>
<td>6.3</td>
<td>7.9</td>
</tr>
<tr>
<td>Band 4</td>
<td>$12 \times 12$</td>
<td>6</td>
<td>$17 \times 17$</td>
<td>7.3</td>
<td>9.1</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>$19 \times 19$</td>
<td>8.2</td>
<td>10.3</td>
</tr>
<tr>
<td>Band 5</td>
<td>$14 \times 14$</td>
<td>7</td>
<td>$21 \times 21$</td>
<td>9.2</td>
<td>11.5</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>$23 \times 23$</td>
<td>10.2</td>
<td>12.7</td>
</tr>
<tr>
<td>Band 6</td>
<td>$16 \times 16$</td>
<td>8</td>
<td>$25 \times 25$</td>
<td>11.3</td>
<td>14.1</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>$27 \times 27$</td>
<td>12.3</td>
<td>15.4</td>
</tr>
<tr>
<td>Band 7</td>
<td>$18 \times 18$</td>
<td>9</td>
<td>$29 \times 29$</td>
<td>13.4</td>
<td>16.8</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>$31 \times 31$</td>
<td>14.6</td>
<td>18.2</td>
</tr>
<tr>
<td>Band 8</td>
<td>$20 \times 20$</td>
<td>10</td>
<td>$33 \times 33$</td>
<td>15.8</td>
<td>19.7</td>
</tr>
</tbody>
</table>

Table 1. Parameters used in $S_1$ and $C_1$. |
orientation and from the same scale band. Each scale band has a pair of adjacent filter sizes. The scale band index of the $S_1$ units determines the size of the $S_1$ neighborhood $N_S \times N_S$ over which the $C_1$ units pool [27]. In previous models [26] [27] [22] [21], the maximum operation “MAX” was used as the pooling filter. Riesenhuber and Poggio [26] argued and demonstrated the advantages of using the nonlinear “MAX” operator over the linear summation operation “SUM.” Here we propose another nonlinear operation – standard deviation “STD”

$$\text{std} = \sqrt{\frac{1}{N_S \times N_S} \sum_{i=1}^{N_S \times N_S} (F_i - \bar{F})^2},$$

(2)

which reveals the variability in the data within a neighborhood $N_S \times N_S$ of $S_1$ units, where $F_i$ is the maximum value of two consecutive $S_1$ units in the same scale band (but using different filters) at pixel index $i$.

$$F_i = \max (x_i^j, x_i^{j+1}),$$

(3)

where $x_i^j$ and $x_i^{j+1}$ are the filtered values with scales $j$ and $j + 1$ at position $i$. $\bar{F}$ is the mean value of the filtered values within the neighborhood $N_S \times N_S$. The pooling of the “MAX” operation over two consecutive scales (i.e., in the same scale band) increases the tolerance to 2D transformations, such as scale changes with a small amount. The “MAX” operation merges two filtered images using filters of the same orientation but different scales into one, and then the “STD” operation is performed on the merged image within a neighborhood $N_S \times N_S$. In previous models [26] [28] [27] [22] [21], the operation on the merged image is another “MAX” filtering. While the second “MAX” can tolerate more shift and size changes, it cannot reveal the variability in the data. In age estimation, the description of local variability in data might be important for subtle age variation, such as wrinkles, on faces.

The process of “MAX” pooling and “STD” operation is done for each orientation and each scale band independently. For instance, consider the first band: $S_1$. For each orientation, it contains two $S_1$ maps: the one obtained using a filter of size $5 \times 5$ and the one obtained using a filter of size $7 \times 7$. The two maps have the same size but different values because different filters are applied. First, the “MAX” pooling is performed on the two maps resulting in a maximum map. Then the “STD” operation is performed on the maximum map using a cell grid of size $N_S \times N_S = 6 \times 6$. From each grid cell, one single value is computed from the 36 elements. $C_1$ responses are only computed with an interval of half of the neighborhood size in one direction, i.e., $N_S/2$. As a result, there is only one half overlapping between two neighboring grid cells, and this will largely reduce the number of features in the $C_1$ layer and make the age estimation process more efficient.

Experimentally we found that the “STD” operation outperforms the pure “MAX” pooling for age estimation (See experiments). The reason is that the “STD” operation can reveal the local variations which might be important to characterize the subtlety of aging (e.g., wrinkles, creases, and eyelid bags) on faces. This can be observed in Figure 3 where the input face image is of size $60 \times 60$. The $S_1$ units at four orientations of band 4 (filter sizes of $17 \times 17$ and $19 \times 19$) are displayed. A pooling grid of $12 \times 12$ is drawn in each $S_1$ map. The local variation is significant (especially in the orientation of 45 degrees), while the pure “MAX” operation cannot reveal it.

**Feature Dimensionality Reduction:** When the pre-learned prototypes are used for template matching in $S_2$ units [27] [22], the final feature dimension in $C_2$ is controlled by the number of prototypes used for comparison in $S_2$. A typical number of prototypes is set by $N = 1,000$ in [27]. Here we do not use the $S_2$ and $C_2$ units. The $C_1$ features are concatenated to form a feature vector for each face image. The resulted features have a high dimensionality. Reducing the feature dimension makes the algorithm more efficient. Previously, the $C_2$ features can be selected using those highly weighted by the SVM for object category recognition [22], or using a relevant component analysis for face recognition [21]. Here we show that the simple method of principal component analysis (PCA) [32] can work well for the bio-inspired $C_1$ features.

PCA is a linear transform technique. Let $X = \begin{pmatrix}
\[ \begin{align*}
&\text{Classification or Regression: Age estimation can be considered as a classification problem, when each age is taken as a class label. On the other hand, age estimation can also be considered as a regression problem, where each age is used as a regression value [14]. In our experiments, we use both the classification and regression approaches to age estimation but on different databases. We will analyze why sometimes the classification works better, while other times the regression is better. Following the suggestions in [14], we choose to use the linear SVM for age classification and support vector regressor (SVR) [31] for age regression.}
\end{align*} \]

\section{4. Experiments}

The performance of age estimation is measured by the mean absolute error (MAE) and the cumulative score (CS) [7, 12]. The MAE is defined as the average of the absolute errors between the estimated ages and the ground truth ages,
\[ \text{MAE} = \frac{\sum_{k=1}^{N} |l_k - \hat{l}_k|}{N}, \]
where \( l_k \) is the ground truth age for the test image \( k \), \( \hat{l}_k \) is the estimated age, and \( N \) is the total number of test images. The cumulative score is defined as \( \text{CS}(j) = \frac{N_{e \leq j}}{N} \times 100\% \), where \( N_{e \leq j} \) is the number of test images on which the age estimation makes an absolute error no higher than \( j \) years.

\subsection{4.1. Databases}

Extensive age estimation experiments are performed on the large Yahama Gender and Age (YGA) database which contains 8,000 face images captured from 1,600 Asian subjects in an outdoor environment, 800 females and 800 males, in the age range from 0 to 93 years. The ground truth age for each face is provided. See Table 2 for the number of face images in each age group.

The second database is the FG-NET Aging Database [3] which is public available. The database contains 1,002 color or grey scale face images with large variation of lighting, pose, and expression. There are 82 subjects (multiple races) in total with the age ranges from 0 to 69 years, and each face image has 68 labelled points characterizing shape features. In our approach, the shape features are not used.

\subsection{4.2. Results}

We perform a standard 4-fold cross validation test to evaluate the accuracy of our algorithms on the large YGA database. The test was executed on the female and male subsets separately, because age estimation is sensitive to gender on this large database. A leave-one-person-out (LOPO) test scheme is used on the FG-NET database. Each face image is cropped and resized to \( 60 \times 60 \) in both databases, and only the grey level images are used. We use the classifiers of linear SVMs for the YGA database, and the regressor SVR for the FG-NET database, as suggested in [15, 14]. The parameters of the learners are adjust from a tuning data set (part of the training data). The general scheme is to use a small error tolerance value, e.g., 0.001, and the capacity value around 100 for the SVM. The width of the RBF kernel for regression [31] is between 0.1 and 0.01. Combining the classification and regression methods [15, 14, 16] might improve the results further, but we have not tried here. Our main focus is the new features based on biological inspiration.

The MAEs on the YGA database is shown in Table 2, and FG-NET in Table 3. The MAEs at each age group (about 10 years span) are also given. In the YGA database, our method has an MAE of 3.91 years for females, and 3.47 years for males. These average errors are substantially smaller than the RUN method [35] (9.79 and 10.36 years), and even significantly lower than the very recent RPK [36] approach (4.94 and 4.38 years) which announced to be the best reported result so far. See Table 6 for more methods.

In FG-NET, the MAE of our method is 4.77 years, which is significantly smaller than the RUN method [35], and even lower than the best reported result of 4.95 in [36]. We notice that in the FG-NET database, there are only 8 face images in the age range of 60-69, and only 15 images of 50-59. The number of faces is too small to train classifiers for those ages. This interprets why classifiers like SVM cannot work well on the FG-NET database. This also

\begin{table}[h]
\centering
\caption{MAE (years) at different age groups on FG-NET.}
\begin{tabular}{|c|c|c|c|c|c|}
\hline
\text{Range} & \text{#img} & \text{Ours} & \text{RUN[35]} & \text{QM[20]} & \text{MLP[20]} \\
\hline
0-9 & 371 & 2.99 & 2.51 & 6.26 & 11.63 \\
10-19 & 339 & 3.39 & 3.76 & 5.85 & 3.33 \\
20-29 & 144 & 4.30 & 6.38 & 7.10 & 8.81 \\
30-39 & 70 & 8.24 & 12.51 & 11.56 & 18.46 \\
40-49 & 46 & 14.98 & 20.09 & 14.80 & 27.98 \\
50-59 & 15 & 20.49 & 28.07 & 24.27 & 49.13 \\
60-69 & 8 & 31.62 & 42.50 & 37.38 & 49.13 \\
\hline
\text{Total} & 1002 & 4.77 & 5.78 & 7.57 & 10.39 \\
\hline
\end{tabular}
\end{table}
Table 2. MAE (years) at different age groups on the YGA database.

<table>
<thead>
<tr>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>0-9</td>
<td>500</td>
<td>1.24</td>
<td>11.21</td>
<td>11.97</td>
<td>14.33</td>
<td>500</td>
<td>1.24</td>
<td>9.86</td>
<td>13.42</td>
<td>14.08</td>
</tr>
<tr>
<td>10-19</td>
<td>500</td>
<td>2.46</td>
<td>6.23</td>
<td>9.58</td>
<td>8.85</td>
<td>500</td>
<td>2.46</td>
<td>7.52</td>
<td>10.33</td>
<td>9.46</td>
</tr>
<tr>
<td>20-29</td>
<td>500</td>
<td>3.36</td>
<td>7.95</td>
<td>9.29</td>
<td>9.70</td>
<td>500</td>
<td>3.36</td>
<td>8.85</td>
<td>10.21</td>
<td>9.35</td>
</tr>
<tr>
<td>30-39</td>
<td>500</td>
<td>5.22</td>
<td>8.17</td>
<td>9.85</td>
<td>9.66</td>
<td>500</td>
<td>5.22</td>
<td>7.76</td>
<td>9.35</td>
<td>8.60</td>
</tr>
<tr>
<td>40-49</td>
<td>500</td>
<td>5.71</td>
<td>8.64</td>
<td>10.45</td>
<td>8.78</td>
<td>500</td>
<td>5.71</td>
<td>8.67</td>
<td>11.71</td>
<td>9.10</td>
</tr>
<tr>
<td>50-59</td>
<td>500</td>
<td>4.35</td>
<td>9.43</td>
<td>10.15</td>
<td>9.53</td>
<td>500</td>
<td>4.35</td>
<td>11.10</td>
<td>13.38</td>
<td>10.08</td>
</tr>
<tr>
<td>60-69</td>
<td>500</td>
<td>3.82</td>
<td>11.12</td>
<td>13.49</td>
<td>10.88</td>
<td>500</td>
<td>3.82</td>
<td>12.49</td>
<td>15.99</td>
<td>13.44</td>
</tr>
<tr>
<td>70-93</td>
<td>500</td>
<td>4.08</td>
<td>15.56</td>
<td>19.66</td>
<td>16.52</td>
<td>500</td>
<td>4.08</td>
<td>16.60</td>
<td>20.44</td>
<td>19.69</td>
</tr>
<tr>
<td>Total</td>
<td>4000</td>
<td>3.91</td>
<td>9.79</td>
<td>11.80</td>
<td>11.03</td>
<td>4000</td>
<td>3.47</td>
<td>10.36</td>
<td>13.10</td>
<td>11.72</td>
</tr>
</tbody>
</table>

Figure 4. Cumulative scores on the YGA and FG-NET databases.

tells why all methods have much larger errors in those age ranges, shown in Table 3. Even though provided with a very small number of faces, our method is consistently better than other methods in comparison at those age ranges. This indirectly indicates that the bio-inspired features are quite robust to encode aging patterns on faces.

The SC curves are shown in Figure 4. The BM [34] method was used for comparison in FG-NET since it has a smaller MAE (5.33) than the RUN [35] method (5.78) on FG-NET.

4.3. Studies of Improvement

We would like to explore more details about our models, especially the improvement over previous models [28, 27, 22, 21].

$C_1$ vs. $C_2$ features We first verify if the $C_2$ features can work well for age estimation. Using almost the same setting as Serre et al.’s [27] for $C_2$ features with 2,000 prototypes randomly selected, we obtained an MAE of 10.62 and 10.73 years for females and males, separately. These errors are significantly higher than using $C_1$ features with any number of bands and orientations as shown in Table 4.

The number of bands and orientations In previous biologically inspired models [28, 27, 22, 21], the scale bands are fixed as 8, and the orientations are fixed as either 4 or 12. In age estimation, we want to show that the number of bands and orientations should be adaptive to the data, rather than using a pre-defined number. More bands or more orientations do not necessarily give better results. To check this in detail, we use the $C_1$ features with the starting filter size $7 \times 7$ and the pure “MAX” pooling for age estimation on the YGA database. The number of bands varies from 2 to 8, and the number of orientations varies from 4 to 12, with an interval of 2. The age estimation results are shown in Table 4. The smallest MAE for the female is 4.20 years obtained using 6 bands and 10 orientations, while the smallest MAE for the male is 3.61 years generated from 8 bands and 8 orientations. This suggests that for each specific problem, the number of bands and orientations should be determined by data, in order to obtain good results.

Filter banks starting from $5 \times 5$ vs. $7 \times 7$ In previous biologically inspired models [28, 27, 22, 21], the filter bank uses a fixed structure, starting from $7 \times 7$. We found that starting from a smaller size, such as $5 \times 5$, improves the age estimation results. To show this difference, we run the age estimation experiments using different $C_1$ features, one is starting from $5 \times 5$, and the other from $7 \times 7$. The MAEs are shown in Table 5. In all cases – females or males, original features or with dimensional-
Table 4. MAEs in terms of the number of bands and orientations in extracting the biologically inspired features. In each cell, the MAEs are for females and males, separately.

<table>
<thead>
<tr>
<th># Bands</th>
<th>4</th>
<th>6</th>
<th>8</th>
<th>10</th>
<th>12</th>
</tr>
</thead>
<tbody>
<tr>
<td># Orientations</td>
<td>4.26</td>
<td>4.73</td>
<td>4.85</td>
<td>4.81</td>
<td>4.90</td>
</tr>
<tr>
<td>2</td>
<td>5.48</td>
<td>4.56</td>
<td>4.66</td>
<td>4.60</td>
<td>4.57</td>
</tr>
<tr>
<td>4</td>
<td>4.96</td>
<td>4.44</td>
<td>4.56</td>
<td>4.64</td>
<td>4.52</td>
</tr>
<tr>
<td>6</td>
<td>4.85</td>
<td>4.44</td>
<td>4.37</td>
<td>4.20</td>
<td>4.21</td>
</tr>
<tr>
<td>8</td>
<td>4.77</td>
<td>4.38</td>
<td>4.31</td>
<td>4.29</td>
<td>4.31</td>
</tr>
</tbody>
</table>

Table 6. MAE (years) comparisons.

<table>
<thead>
<tr>
<th>Method</th>
<th>YGA:F</th>
<th>YGA:M</th>
<th>FG-NET</th>
</tr>
</thead>
<tbody>
<tr>
<td>WAS [12]</td>
<td>−</td>
<td>−</td>
<td>8.06</td>
</tr>
<tr>
<td>AGES [12]</td>
<td>−</td>
<td>−</td>
<td>6.77</td>
</tr>
<tr>
<td>QM [20]</td>
<td>10.99</td>
<td>12.00</td>
<td>6.55</td>
</tr>
<tr>
<td>MLPs [20]</td>
<td>9.96</td>
<td>10.51</td>
<td>6.55</td>
</tr>
<tr>
<td>RUN [35]</td>
<td>9.79</td>
<td>10.36</td>
<td>5.78</td>
</tr>
<tr>
<td>BM [34]</td>
<td>6.95</td>
<td>6.95</td>
<td>5.33</td>
</tr>
<tr>
<td>LARR [14]</td>
<td>5.25</td>
<td>5.30</td>
<td>5.07</td>
</tr>
<tr>
<td>PFA [16]</td>
<td>5.11</td>
<td>5.12</td>
<td>4.97</td>
</tr>
<tr>
<td>RPK [36]</td>
<td>4.94</td>
<td>4.38</td>
<td>4.95</td>
</tr>
<tr>
<td>BIF(Ours)</td>
<td>3.91</td>
<td>3.47</td>
<td>4.77</td>
</tr>
</tbody>
</table>

“STD” vs. “MAX” In previous models [26, 28, 27, 22, 21], the “MAX” pooling is used to obtain the complex \( C \) layer features from the simple \( S \) layers. Riesenhuber and Poggio [26] argued the advantages of the nonlinear maximum operation over the linear summation “SUM.” We propose another nonlinear operation “STD” which can characterize the aging subtlety on faces well. The results demonstrating the advantages of “STD” over “MAX” are given in Table 5 and Figure 5. In table 5, the errors do not change too much when the feature dimension is reduced using the PCA method. For example, the dimensions can be reduced from 6,976 to 900 without raising the error too much (from 3.47 to 3.44). In some cases, the errors are even smaller than using all \( C_1 \) features. In Figure 5, we show the error distributions over feature dimensions from 100 to 1,000. In sum, less than 1,000 features (selected from about 7,000) are sufficient for age estimation in our experiments.

4.4. Age Estimation on Internet Images

It may be interesting to see our age estimation performance on other face images. We used Internet image search to find some face images of Einstein, and extracted bio-inspired features on his face images. The training data are male Asian faces from the YGA database. Then we ran our method to estimate the ages from Einstein’s faces. The age estimation results are shown in Figure 1. Although this is a very difficult case for cross-race and cross-database age estimation, the estimated ages, 32, 52, and 76, are very reasonable on the three faces. Since we do not have the ground truth on these faces, no MAEs are computed. This result

Dimensionality reduction by PCA Although the PCA technique is a widely used method for feature dimensionality reduction, no previous work has shown that the PCA method is also useful for the bio-inspired high dimensional features. Here we want to show that the simple PCA method can work well for the biologically inspired features, reducing dimensions from the thousand level to hundred. From

Figure 5. MAEs of “STD” vs. “MAX” and 5×5 vs. 7×7 as the starting filter size. The PCA method is used for dimensionality reduction.
Table 5. MAE (#features) measures for the filters on $S_1$ units, starting from $5 \times 5$ vs. $7 \times 7$.

<table>
<thead>
<tr>
<th></th>
<th>Females in YGA</th>
<th>Males in YGA</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Original features</td>
<td>Dim reduction</td>
</tr>
<tr>
<td></td>
<td>$5 \times 5$</td>
<td>$7 \times 7$</td>
</tr>
<tr>
<td>MAX</td>
<td>4.15 (6976)</td>
<td>4.53 (4376)</td>
</tr>
<tr>
<td>STD</td>
<td>3.94 (6976)</td>
<td>4.32 (4376)</td>
</tr>
</tbody>
</table>

shows the robustness of our approach to age estimation, and encourages us to do more evaluations in the future.

5. Conclusions

We have investigated the biologically inspired features for human age estimation. A couple of improvements over the original models have been proposed, which include introducing the new “STD” operation for pooling in $C_1$ units, changing the filter sizes in $S_1$ units, not using any pre-learned prototypes, and making the number of bands and orientations adaptive to data. All of these proposals to the bio-inspired models are important to obtain a high performance age estimator. Evaluated on two benchmark databases, our system performs better (smaller errors) than any published methods. Have not been explored by anyone before, we showed an interesting application of our method to Internet images of Einstein’s faces, which demonstrates the robustness of our method and the potential of cross-race and cross-database age estimation. It also suggests a future work to further verify the method on more Internet images or surveillance camera inputs.

6. Acknowledgement

The work is partially supported by the NC Space New Investigation award to the first author. The authors thank S. Yan for providing his results for comparison.

References